

# Stabilizing Pipelines for Streaming Applications

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# Outline

- Motivation
- Self-Stabilization
- Linear Pipelines
- Other Compositions

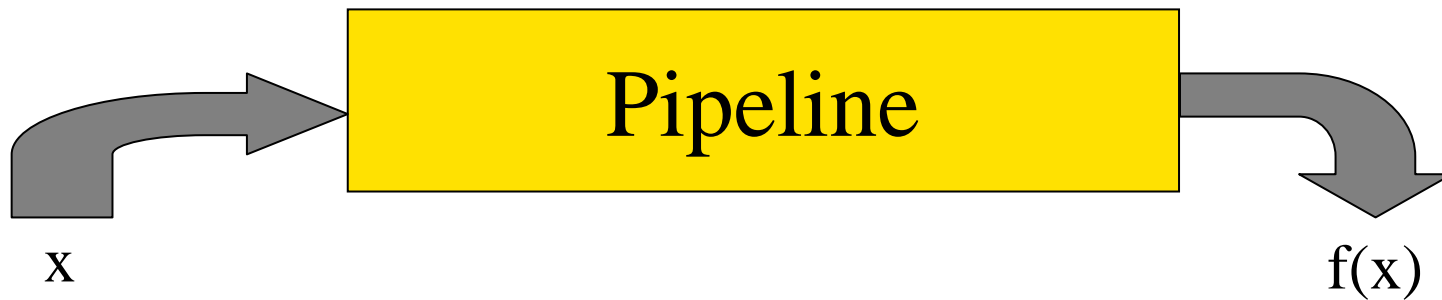
# Motivation

- Streaming data in distributed systems are abundant.
- What is the guarantee that a distributed system that handles streaming data will stabilize and exhibit the correct behavior?
- We focus on modular architecture of systems handling streaming data.

# Outline

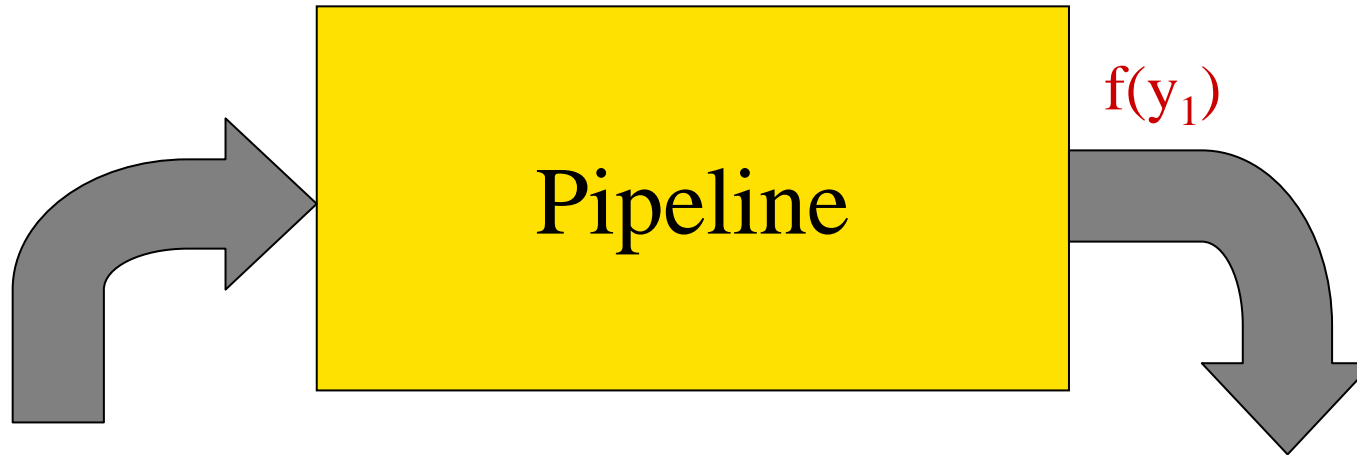
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# Expected Pipeline Behavior



For each input  $x$  from a constant input stream, the pipeline computes  $f(x)$

# Pipelines and Self-Stabilization

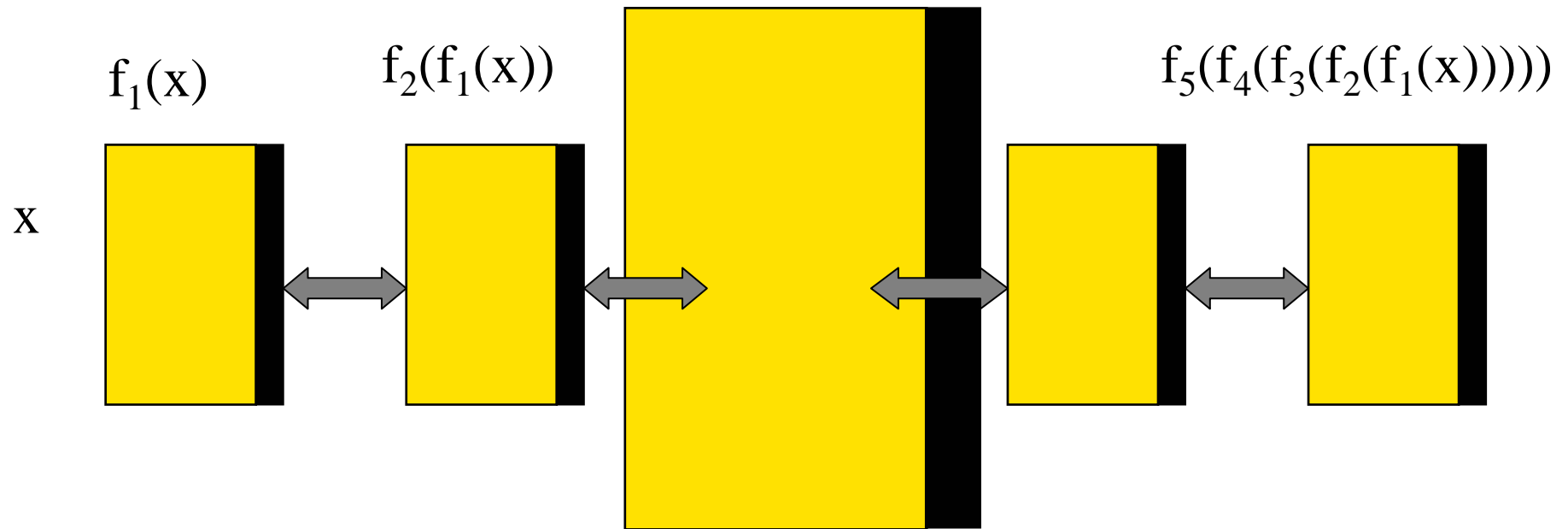


- $x_1$  Regardless of the initial state of the system, the output stream will have a suffix identical to that which will be produced by the correctly initialized system

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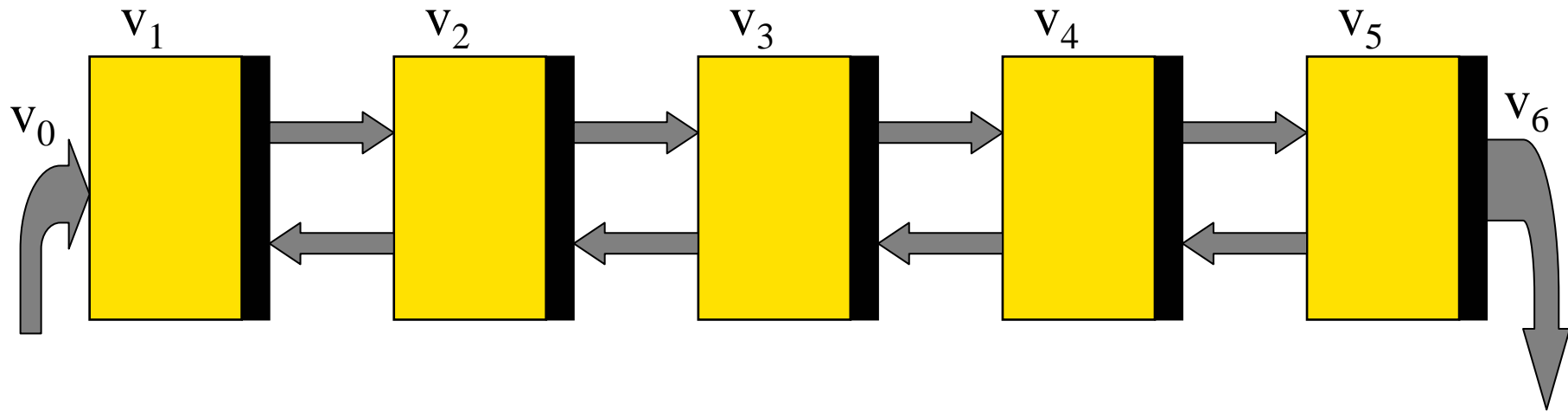
# Linear Pipeline



A *stage*  $i$  is composed of  $k > 0$  processes, and eventually computes  $f_i(x)$  for all inputs  $x$



# Stabilizing Linear Pipeline



```
{Program for stage  $i : 1 \leq i \leq k$ }  
do    $(v_{i-1} \neq v_i) \wedge (v_{i+1} = v_i) \rightarrow$   
       $B_i := f_i(B_{i-1}); v_i := \neg v_i;$   
od
```

# Linear Pipeline Convergence Time

A linear pipeline converges in at most:

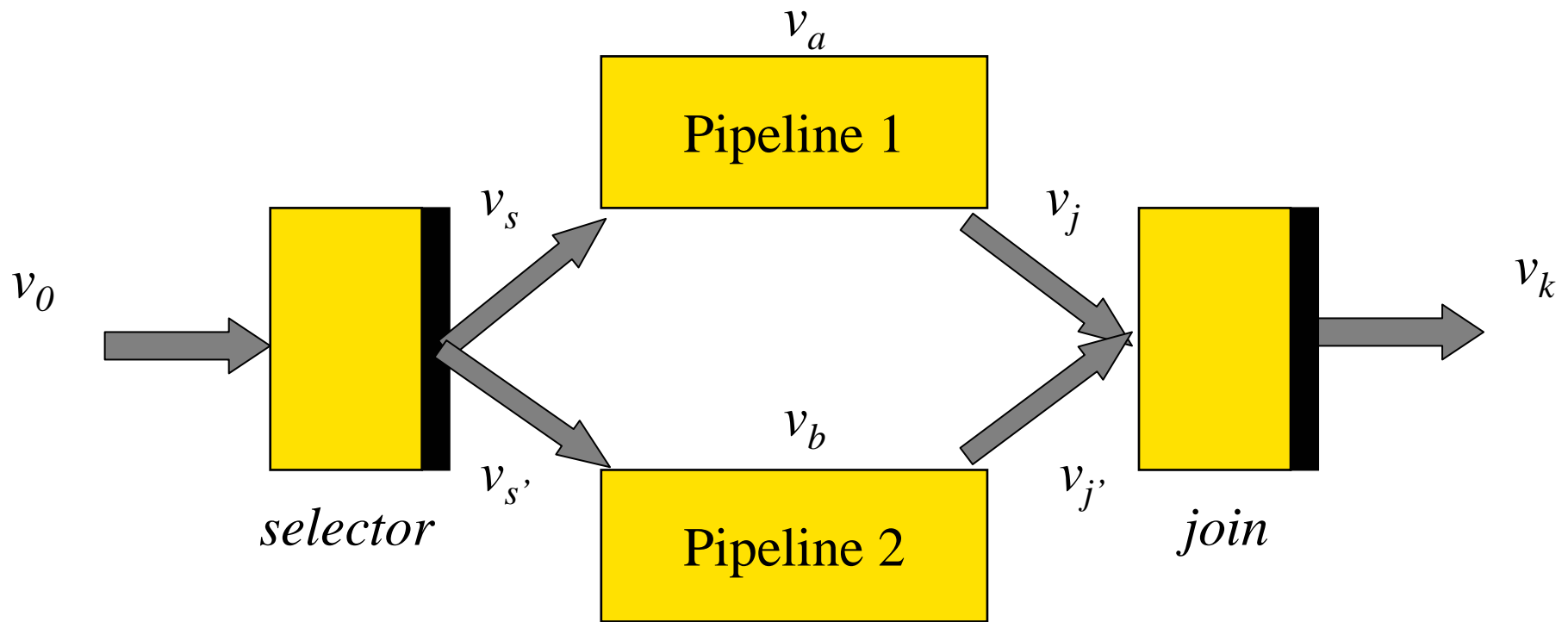
$$k(k-1)(1/2) + k(L_{max} - 1) + 1$$

time steps.

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# Alternative Composition



# Stabilizing Alternative Composition

- The *selector* stage may “starve” one of the pipelines
- To be self-stabilizing, all executions of the selector of length  $m$  must include at least one output to each pipeline

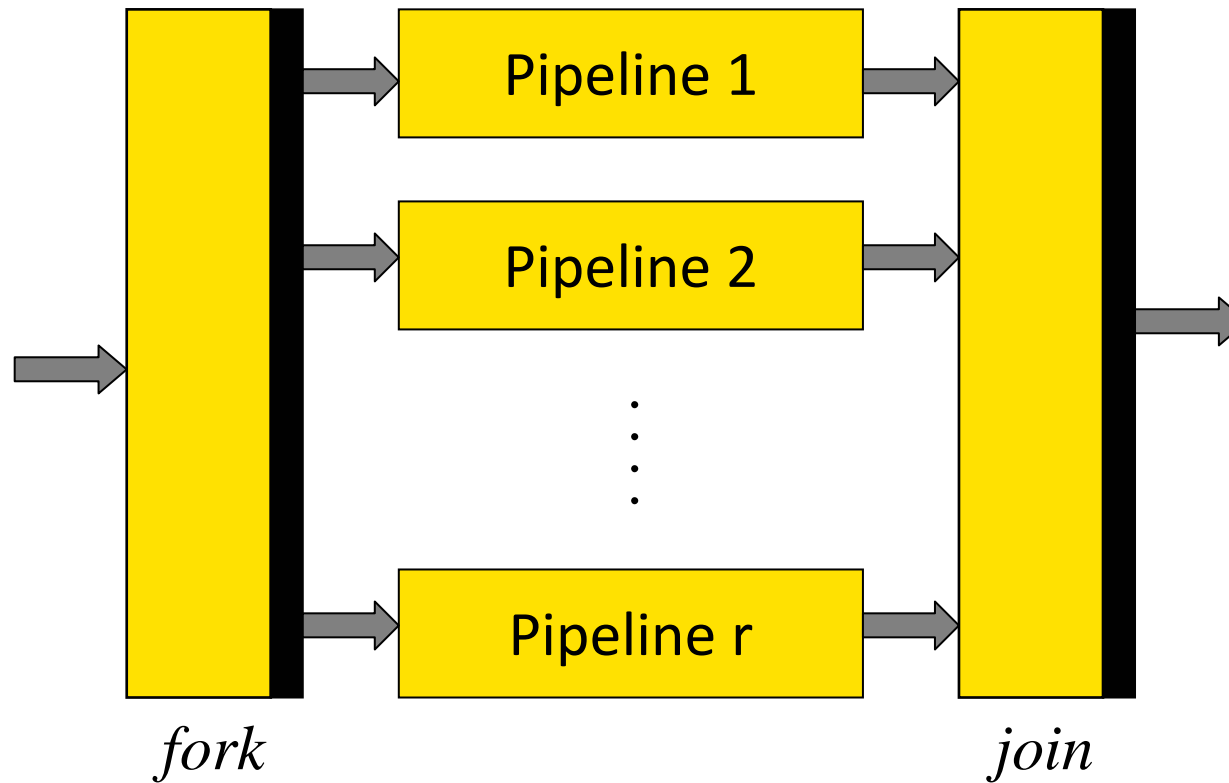
# Alternative Pipeline Convergence Time

An alternative pipeline converges in at most:

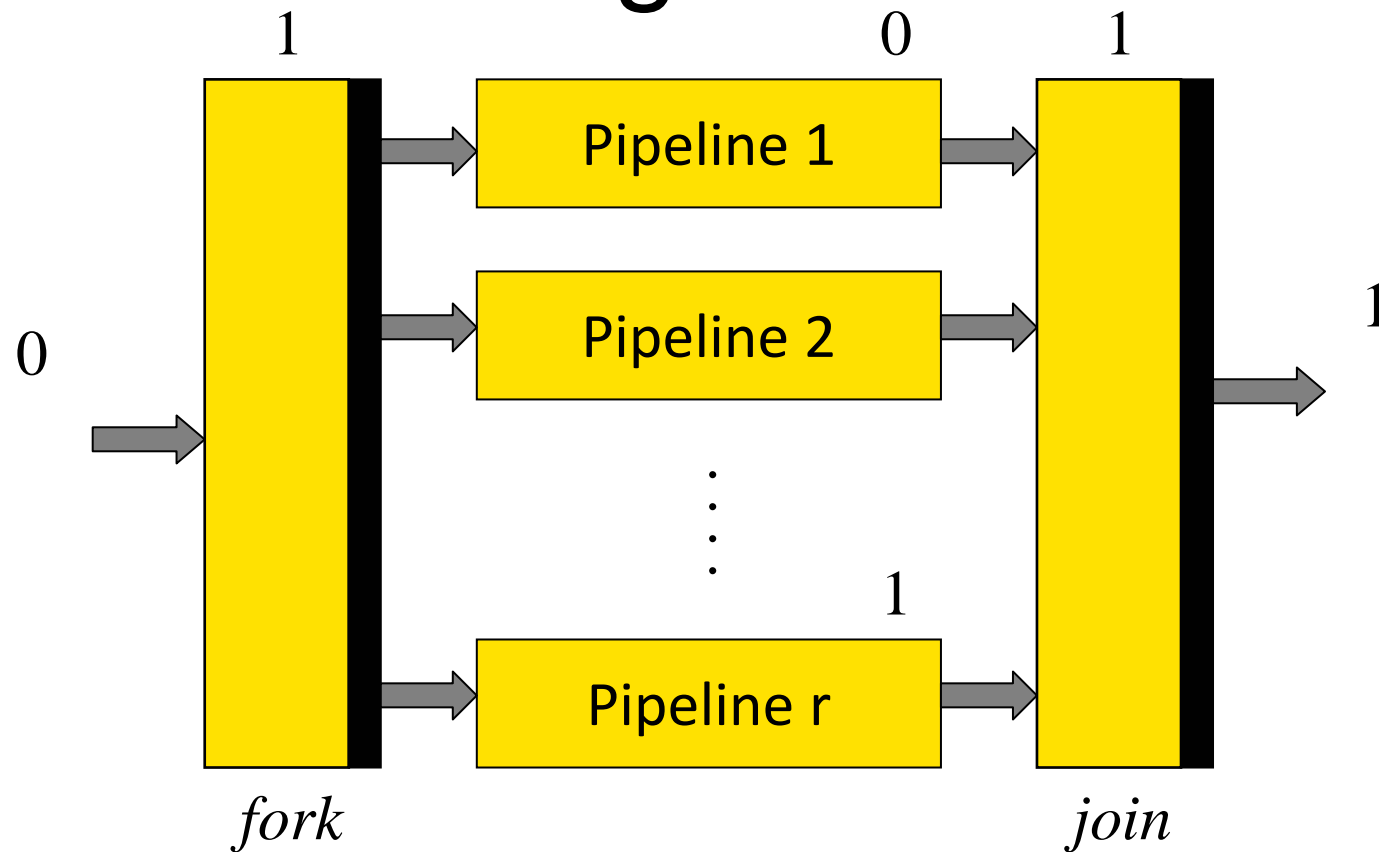
$$t(t-1) + mtL_{max} + 1$$

time steps.

# Concurrent Composition

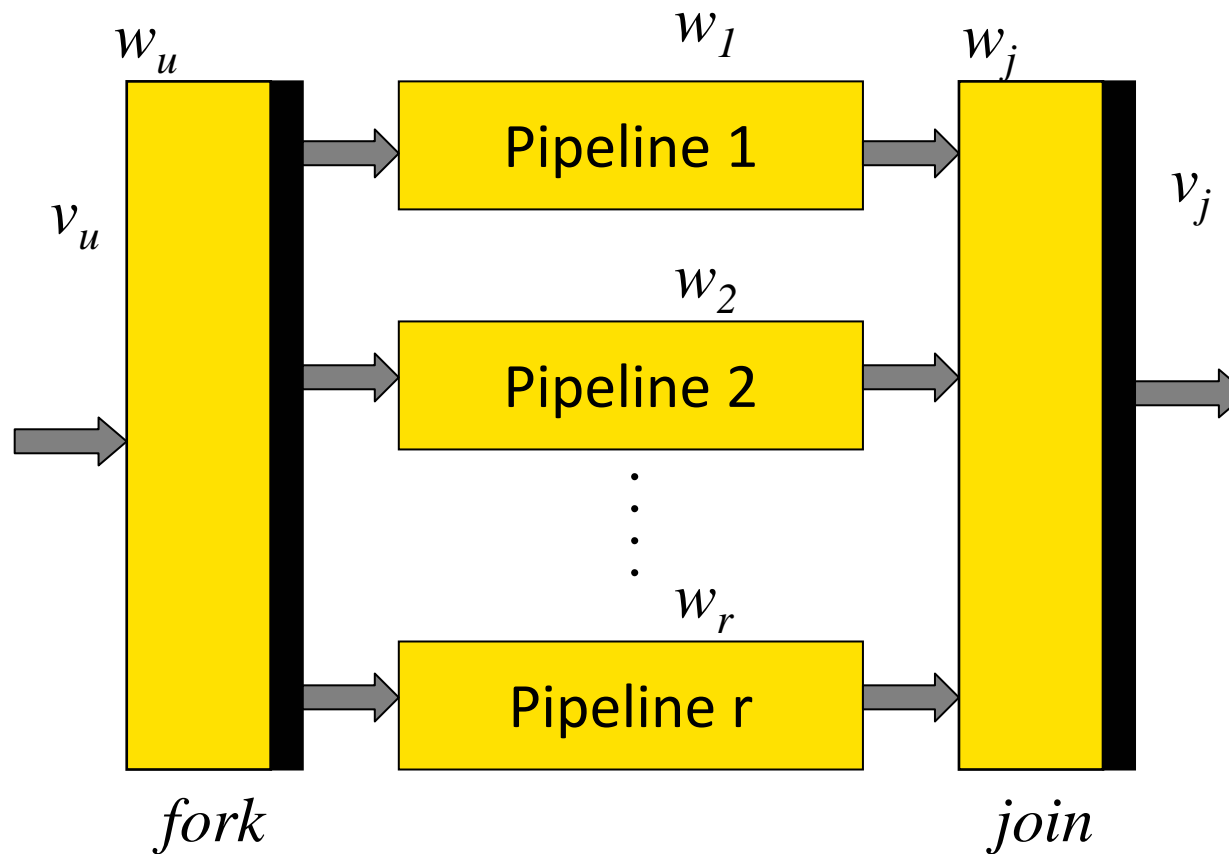


# Concurrent with Boolean Signals

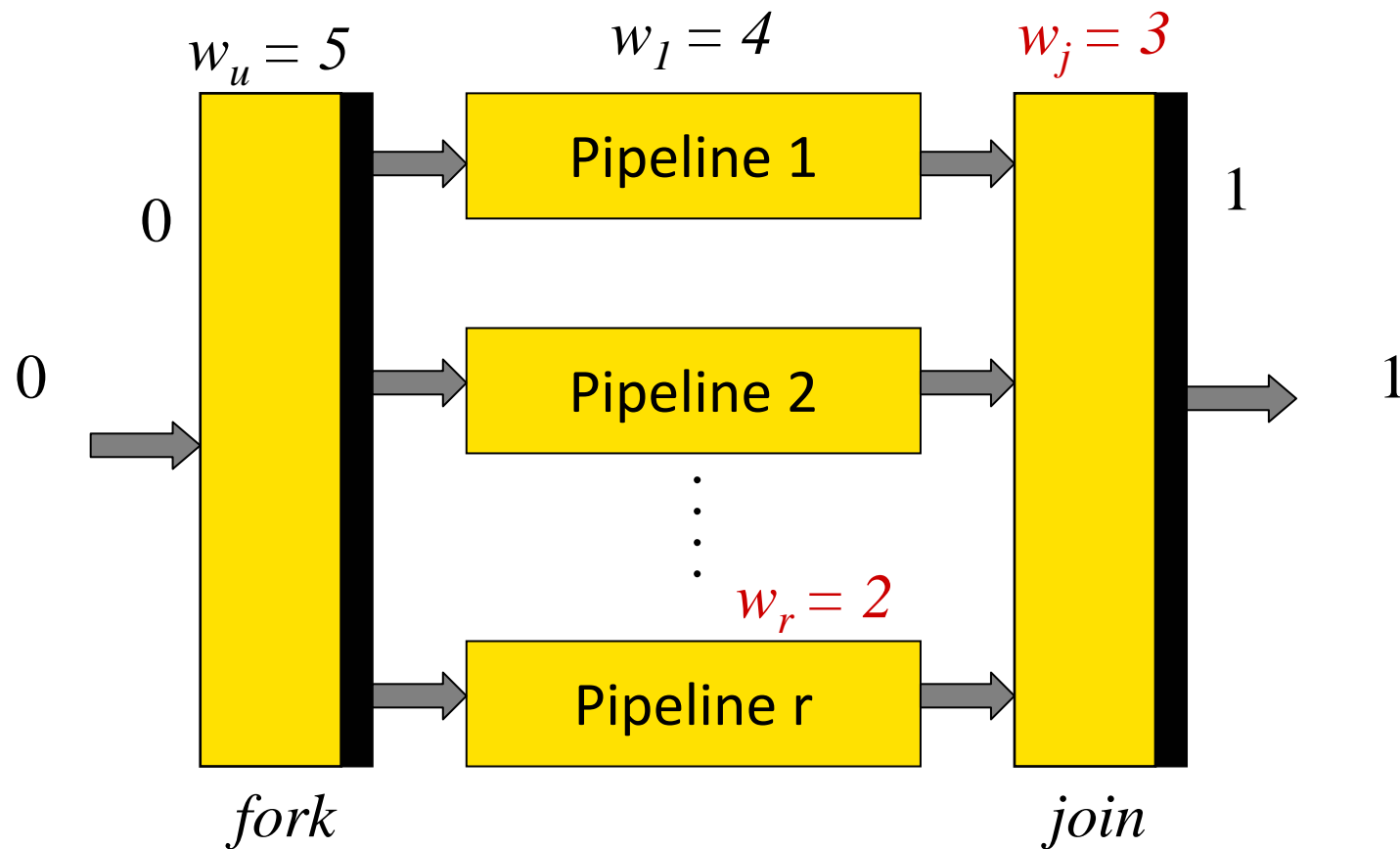




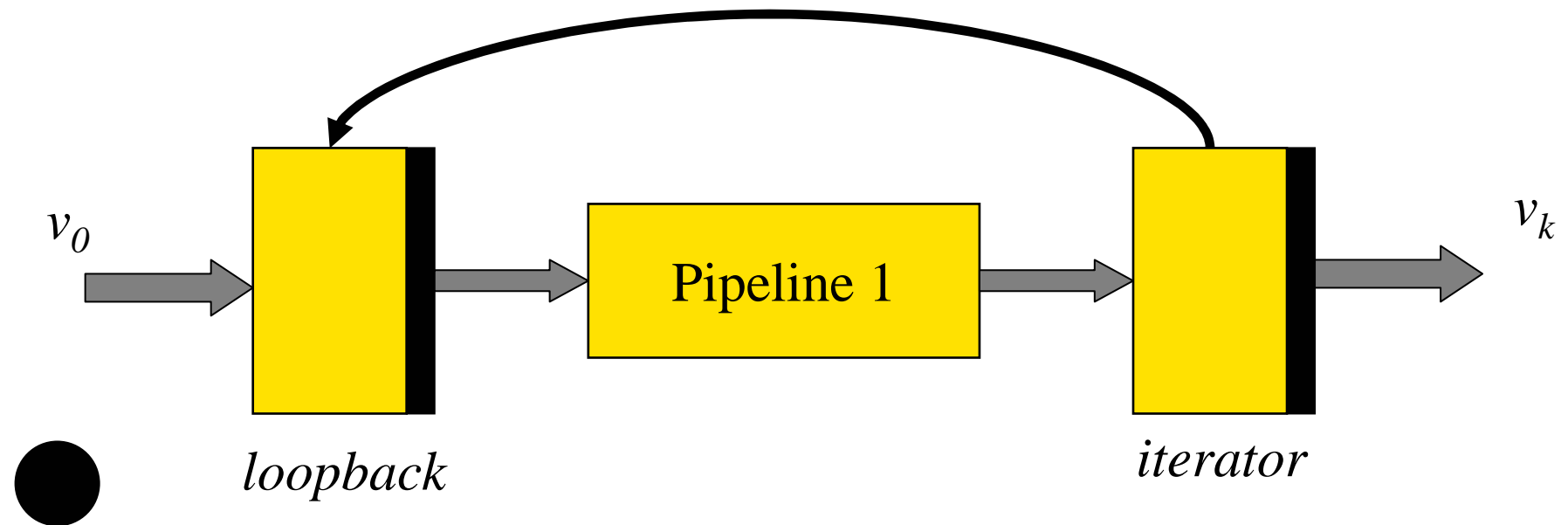
# Stabilizing Concurrent Composition



# Stabilizing Concurrent Composition



# Repetitive Composition



# Stabilizing Repetitive Composition

- Similar to the alternative composition, we have to make sure the iterator doesn't "starve" the environment

# Final Points

- Any of these stabilizing compositions can be replaced with any other stabilizing composition
- Results are possible with bounded sequence numbers

Thank You!

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